

Object Detection



Part2

Presenter: Dae-Yong

Contents

Traditional Object Detection

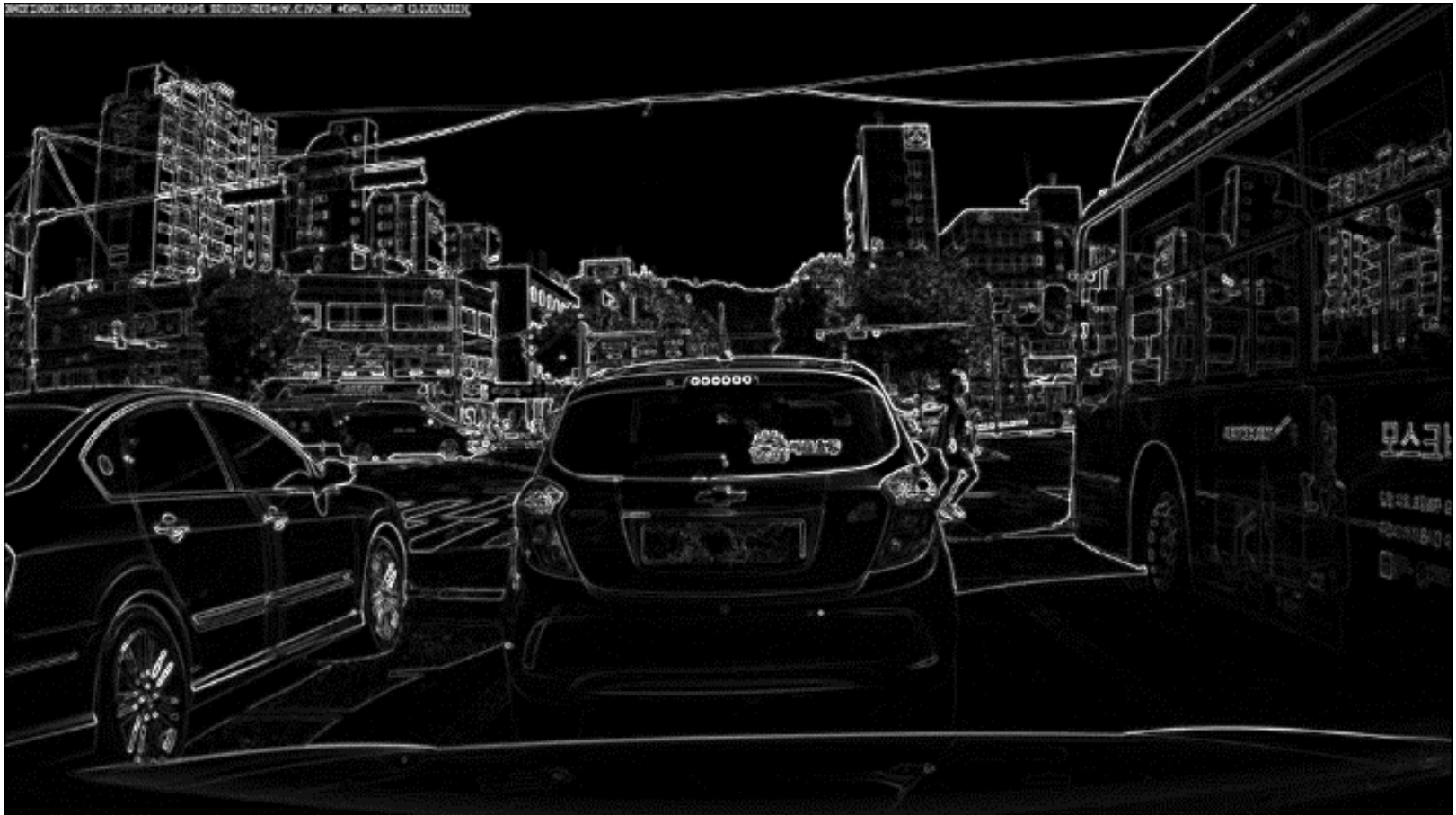
- Feature: Histogram of Oriented Gradient
- Classifier: Support Vector Machine

Traditional Object Detection

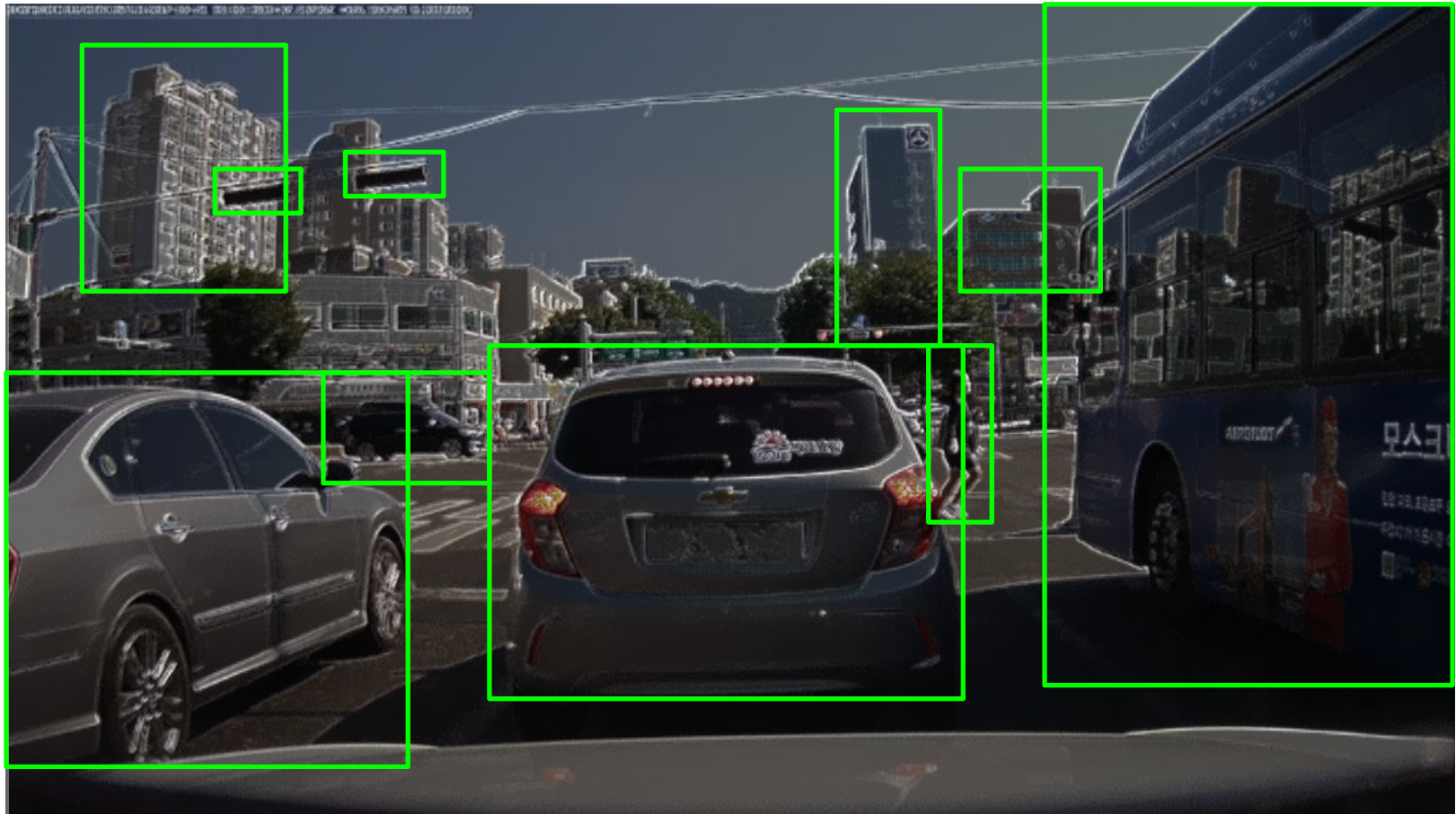
Traditional Object Detection: Pipeline



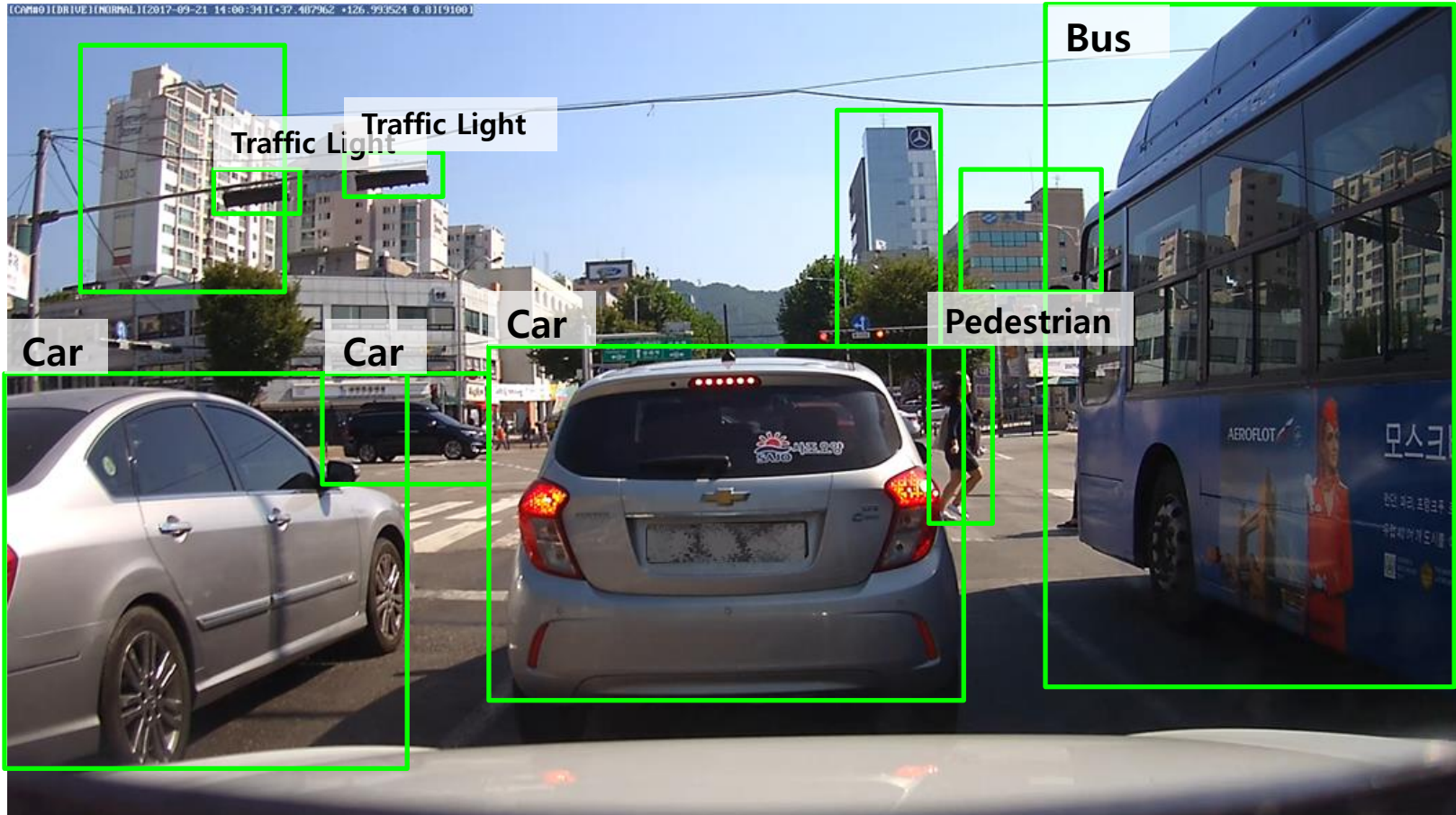
Traditional Object Detection: Pipeline



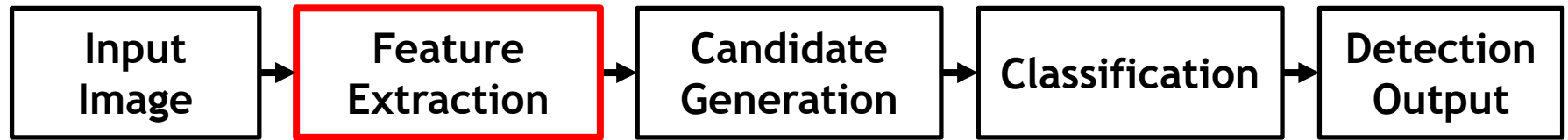
Traditional Object Detection: Pipeline



Traditional Object Detection: Pipeline



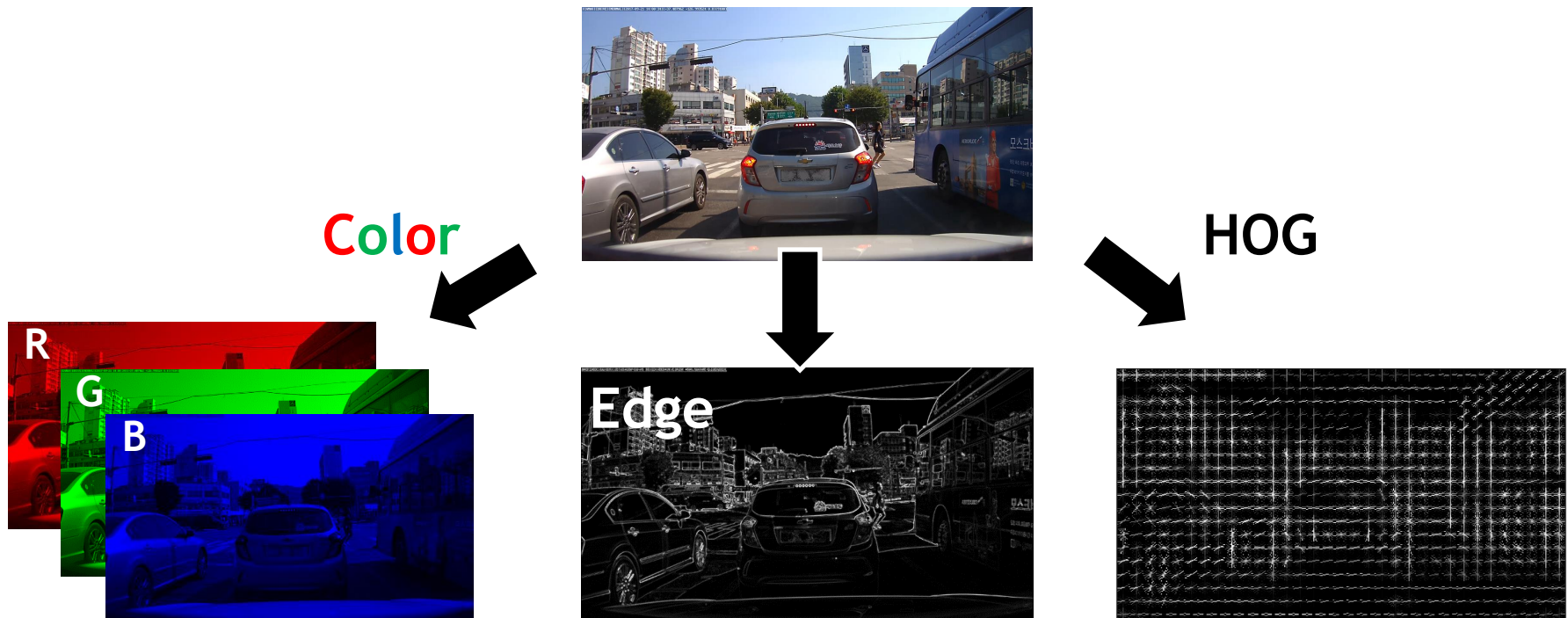
Traditional Object Detection - Feature Extraction



Real data is too complicated to explain what it is. ➡ **FEATURE**

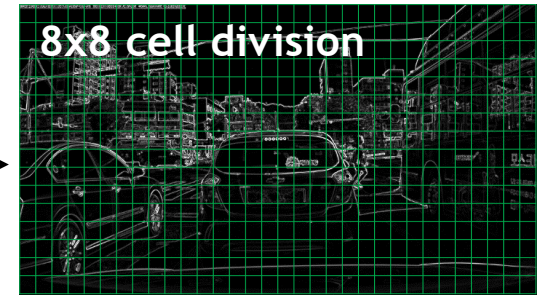
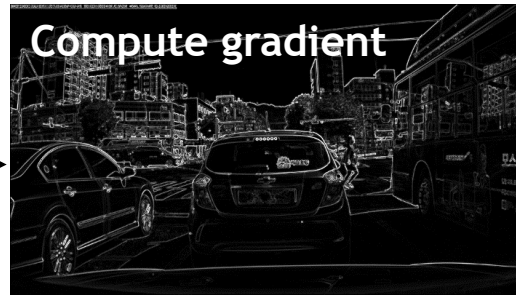
Features in Computer Vision

- Color, Edge, Local Binary Pattern(LBP), Scale Invariant Feature Transform(SIFT), Histogram of Oriented Gradient(HOG), ...

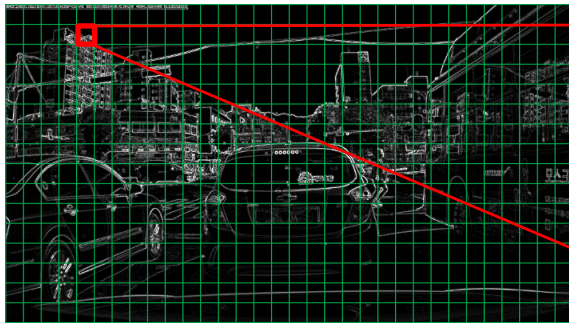


Traditional Object Detection - Feature Extraction

❏ Histogram of Oriented Gradient Pipeline



Compute Hist. of Oriented Gradient for each 8x8 Cell

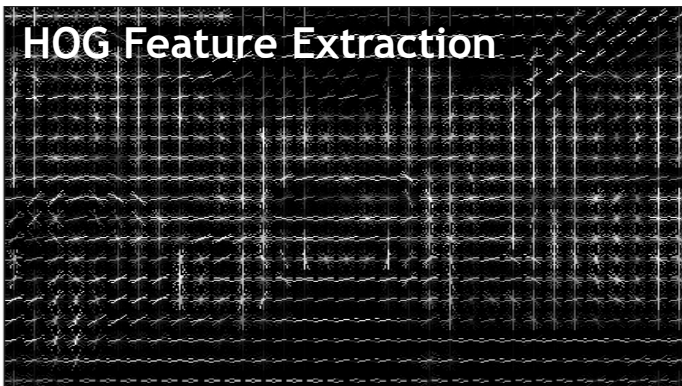


Magnitude

81	85	91	93	90	91	92	91
79	81	80	88	93	90	87	88
110	131	127	129	115	105	119	110
125	110	130	133	138	137	135	135
120	118	122	103	121	129	130	132
5	1	0	4	0	5	2	2
3	7	2	7	2	3	8	1
2	1	7	8	5	4	2	1

Orientation

0	19	18	12	13	48	71	80
1	35	35	37	24	27	21	28
10	3	24	21	29	34	35	27
97	98	91	95	94	88	87	79
91	98	95	97	91	98	94	93
0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0



Magnitude	25.5	21	67.4	92.3	11.3	19.1	22.7	11.1	39.1
Orientation	0	20	40	60	80	100	120	140	160



It will be used for describing object

Traditional Object Detection - Feature Extraction

How to compute Histogram of Oriented Gradient?



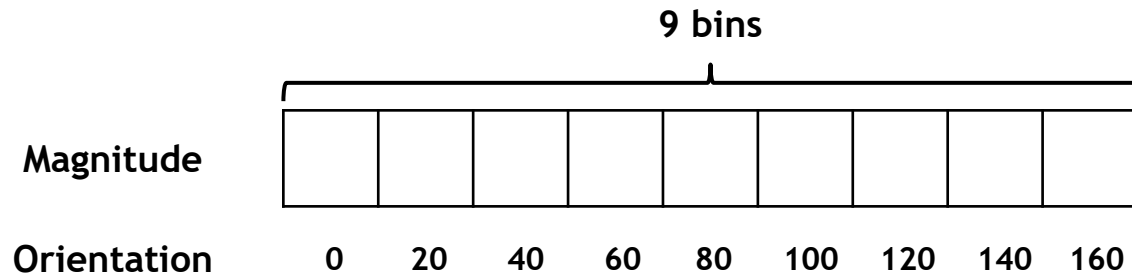
Magnitude

81	85	91	93	90	91	92	91
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125	110	130	133	138	137	135	135
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5	1	0	4	0	5	2	2
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Orientation

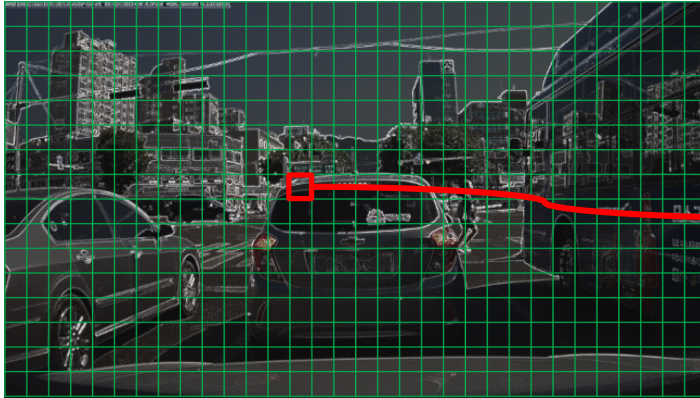
0	19	18	12	13	48	71	80
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10	3	24	21	29	34	35	27
97	98	91	95	94	88	87	79
91	98	95	97	91	98	94	93
0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0

*Magnitude = $\sqrt{dx^2 + dy^2}$ *(Unsigned) Orientation = $\arctan\left(\frac{dy}{dx}\right)$



Traditional Object Detection - Feature Extraction

How to compute Histogram of Oriented Gradient?



Magnitude

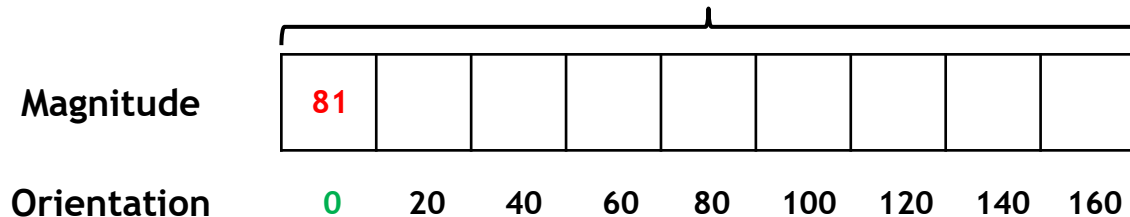
81	85	91	93	90	91	92	91
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0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0

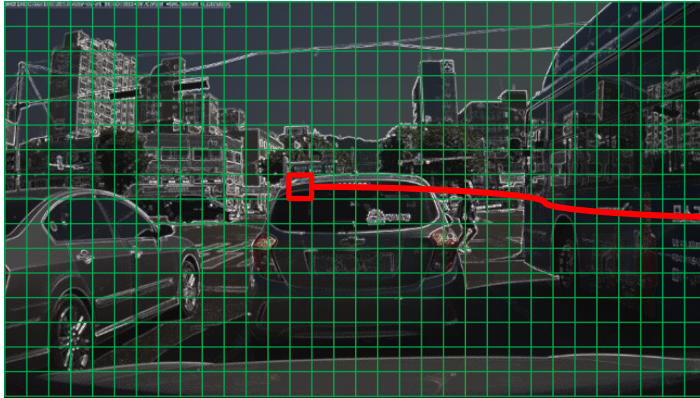
*Magnitude = $\sqrt{dx^2 + dy^2}$ *(Unsigned) Orientation = $\arctan\left(\frac{dy}{dx}\right)$

9 bins



Traditional Object Detection - Feature Extraction

How to compute Histogram of Oriented Gradient?



Magnitude

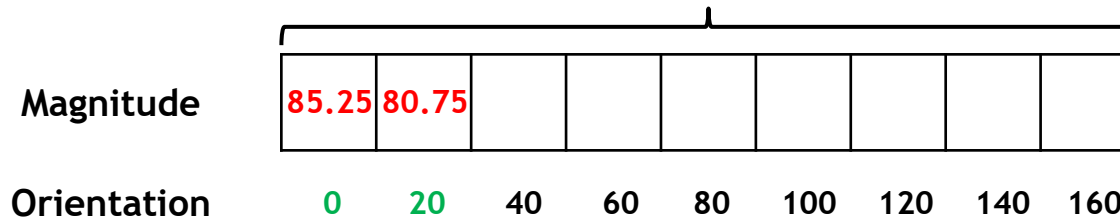
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0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0

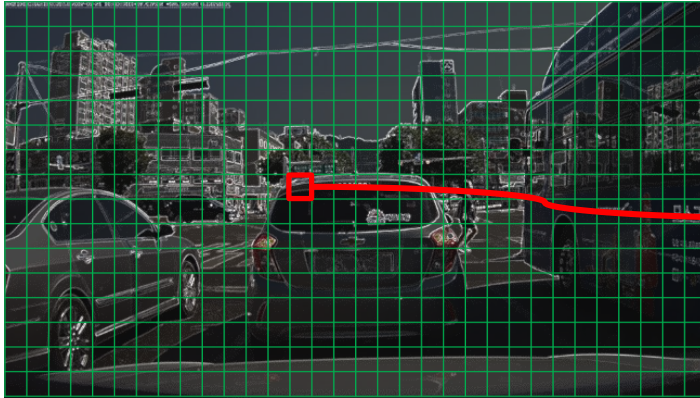
*Magnitude = $\sqrt{dx^2 + dy^2}$ *(Unsigned) Orientation = $\arctan\left(\frac{dy}{dx}\right)$

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Traditional Object Detection - Feature Extraction

How to compute Histogram of Oriented Gradient?



Magnitude

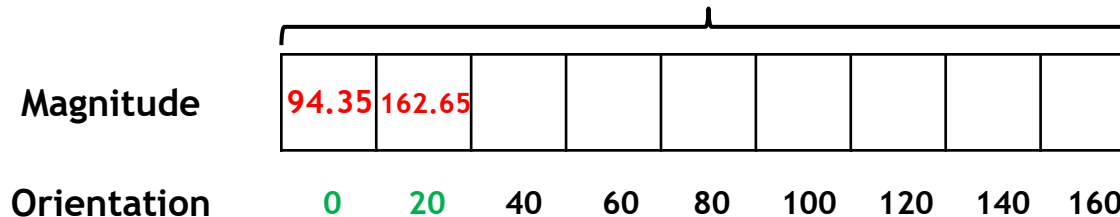
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91	98	95	97	91	98	94	93
0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0

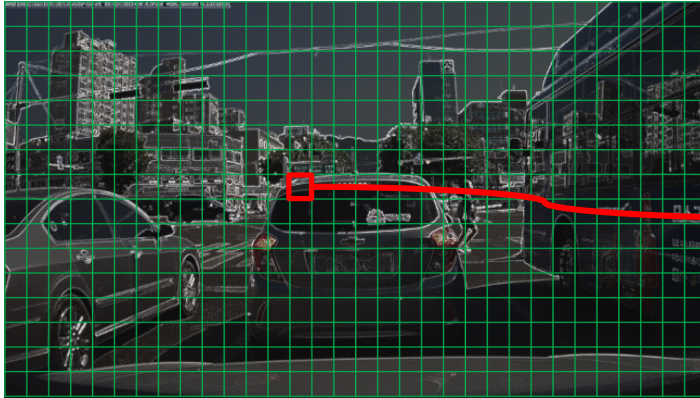
*Magnitude = $\sqrt{dx^2 + dy^2}$ *(Unsigned) Orientation = $\arctan\left(\frac{dy}{dx}\right)$

9 bins



Traditional Object Detection - Feature Extraction

How to compute Histogram of Oriented Gradient?



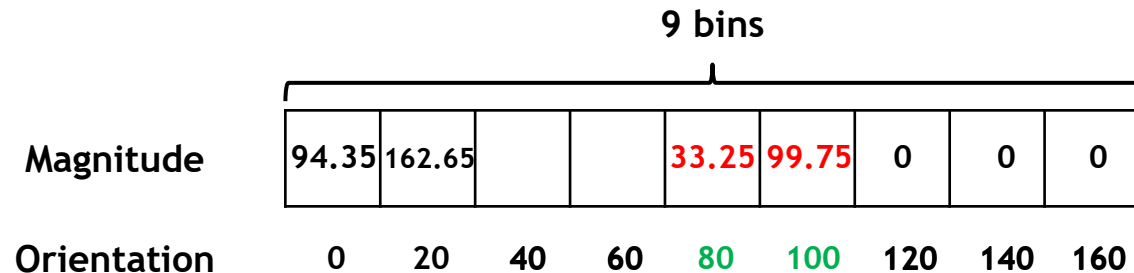
Magnitude

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79	81	80	88	93	90	87	88
110	131	127	129	115	105	119	110
125	110	130	133	138	137	135	135
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91	98	95	97	91	98	94	93
0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0

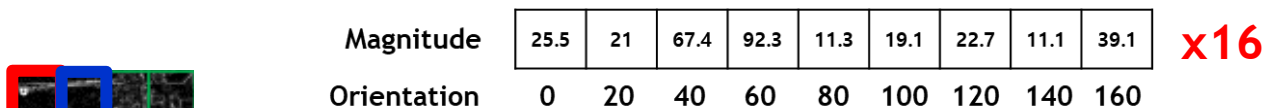
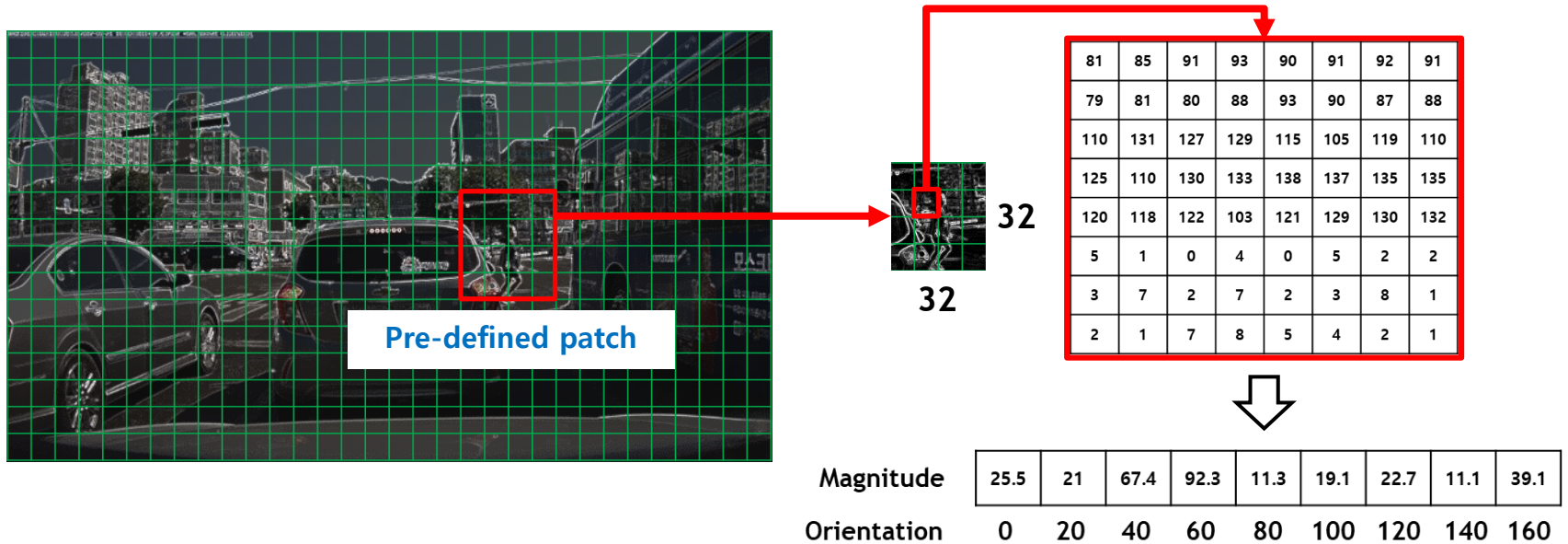
*Magnitude = $\sqrt{dx^2 + dy^2}$ *(Unsigned) Orientation = $\arctan\left(\frac{dy}{dx}\right)$



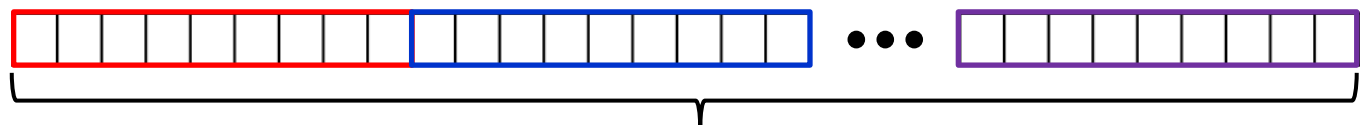
It decreases **64** dimension to **9** dimension (**85%**↓)

Traditional Object Detection - Feature Extraction

How to describe TARGET OBJECT using HOG feature?



144-dimensional vector: HOG Feature Descriptor



This FEATURE vector describes PEDESTRIAN

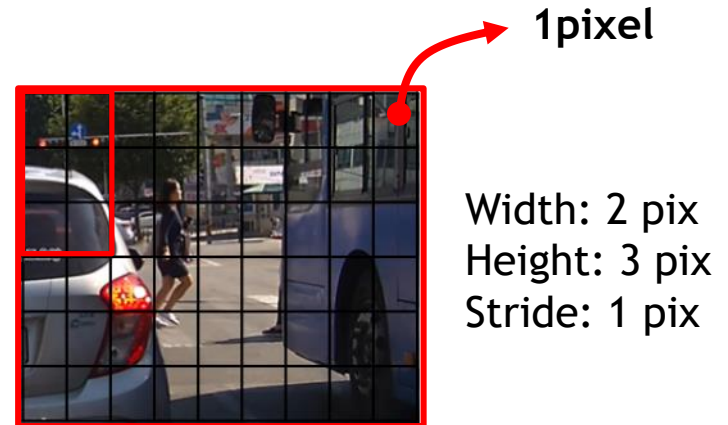
Traditional Object Detection - Candidate Generation



What is pre-defined patch?

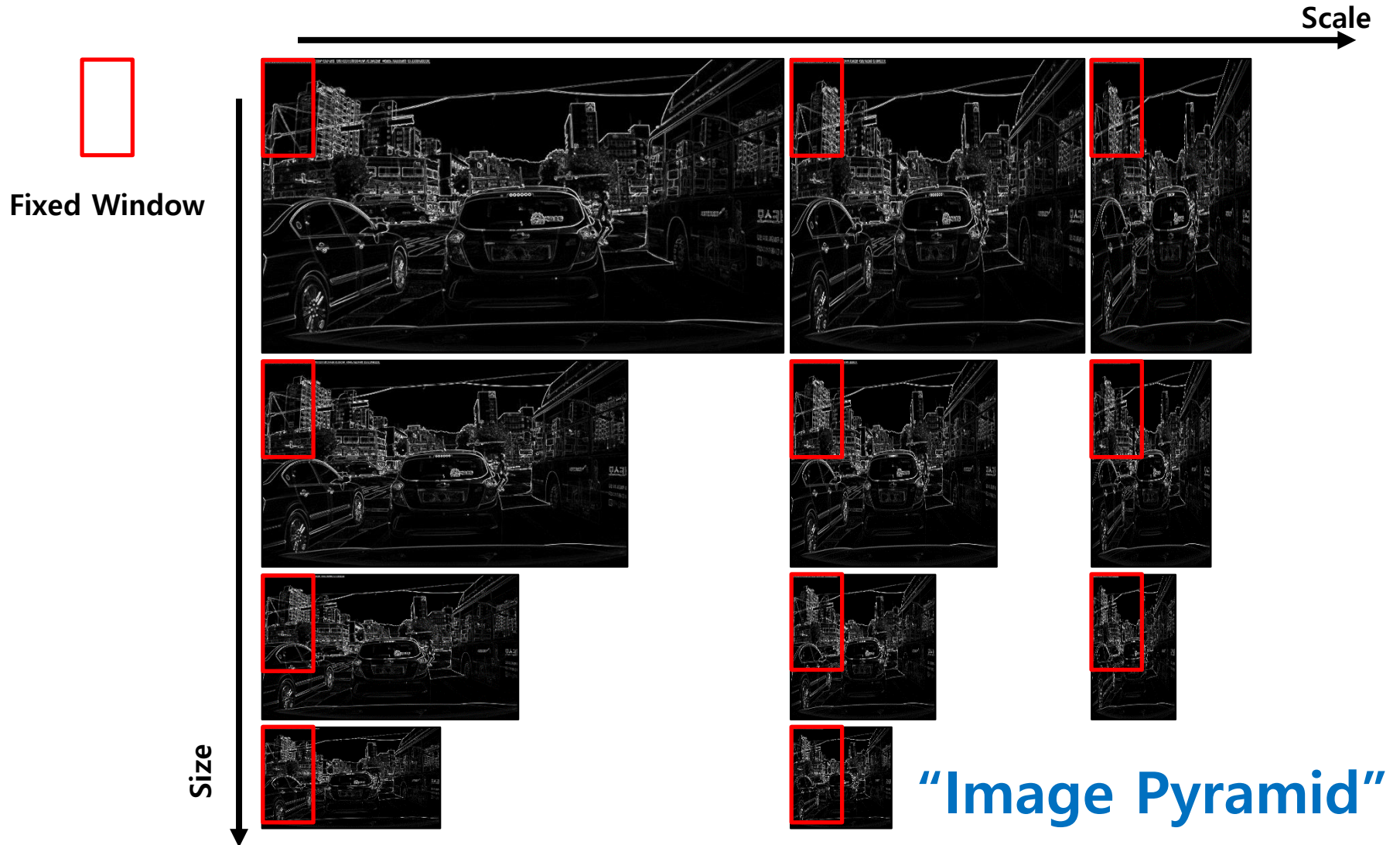
- Object candidate
- **Sliding Window Scheme** / Object Proposal Scheme
- Designed by user

*Parameters: width, height, stride

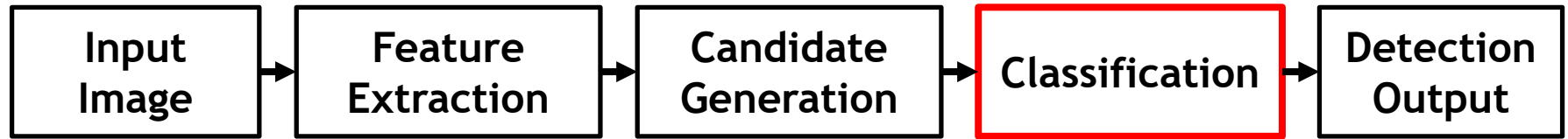


Traditional Object Detection - Candidate Generation

- Another way to consider multiple scale/size of objects

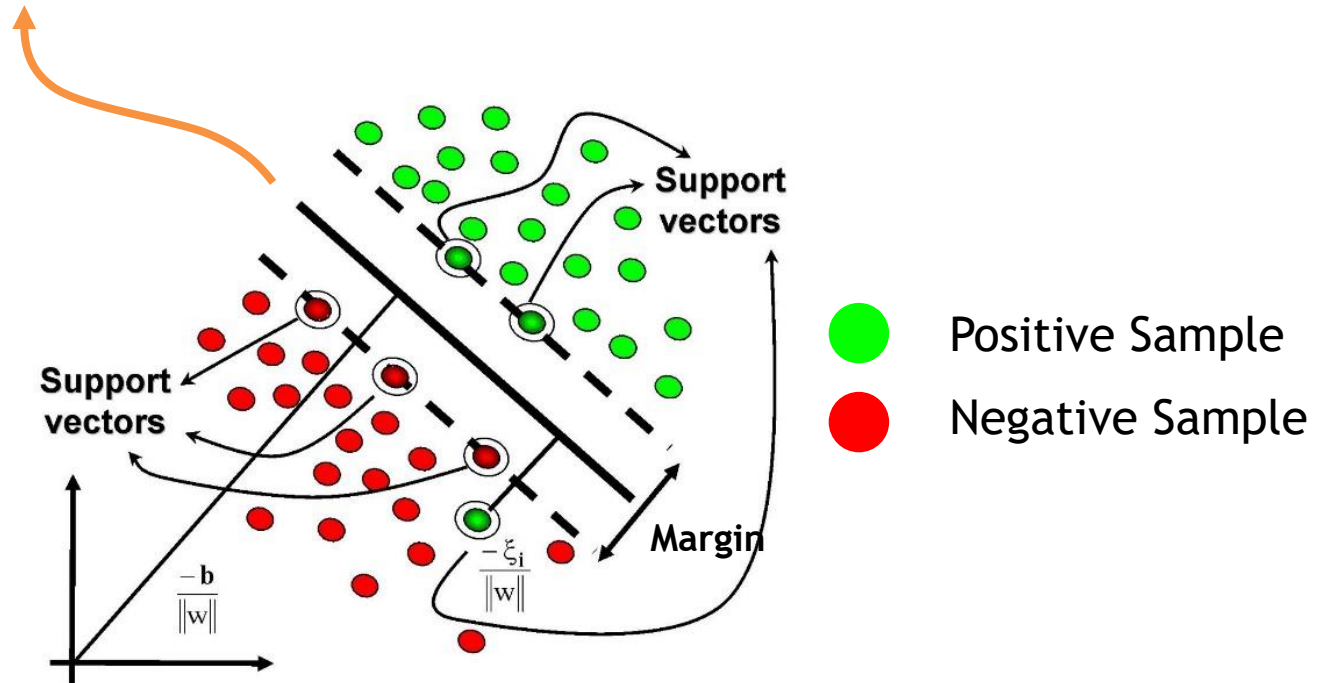


Traditional Object Detection - Classification



■ Support Vector Machine (SVM)

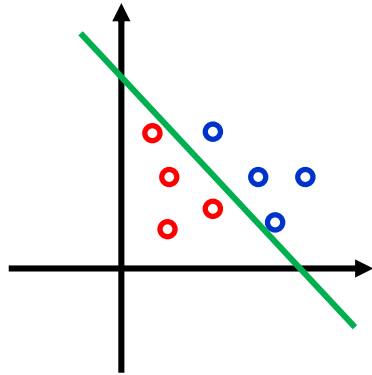
- Goal: Classify **POSITIVE(+)** - **NEGATIVE(-)**
- How: Define **HYPERPLANE** which **maximizes** the margin btw two classes



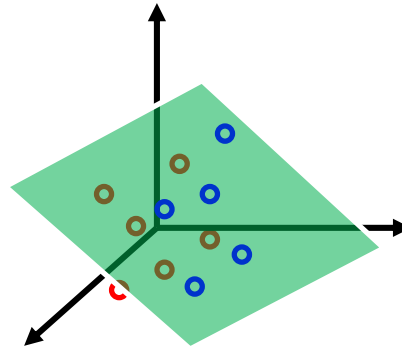
Support Vector Machine (SVM)

■ What is the **hyperplane**?

Def) A subspace of one dimension less than its ambient space



2-dimensional space
>> Hyperplane: line



3-dimensional space
>> Hyperplane: plane

?

n-dimensional space
>> Hyperplane: n-1 dim

$$f(x, y) = ax + by + c$$

$$f(x, y, z) = ax + by + cz + d$$

$$\mathbf{w} = \begin{bmatrix} a \\ b \\ c \end{bmatrix} \quad \mathbf{x} = \begin{bmatrix} x \\ y \\ 1 \end{bmatrix}$$

$$\mathbf{w}^T \mathbf{x} = 0$$

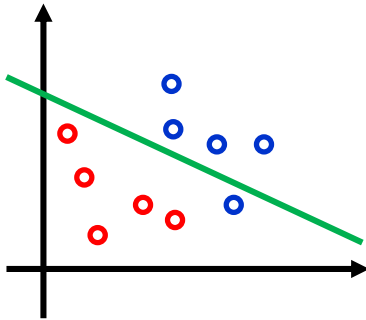
What we know from **training data**

What we need to compute

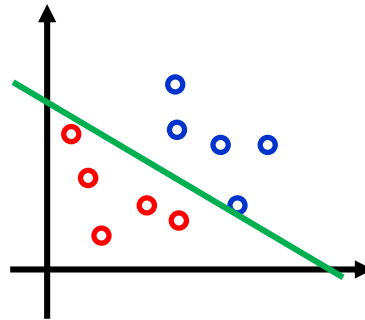
Support Vector Machine (SVM)

■ What is the **OPTIMAL** hyperplane?

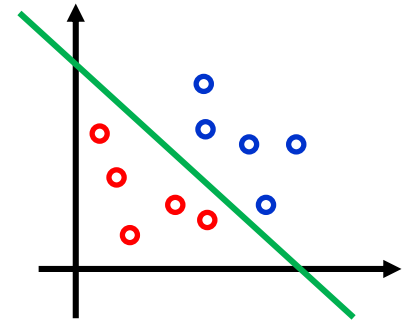
Case 1)



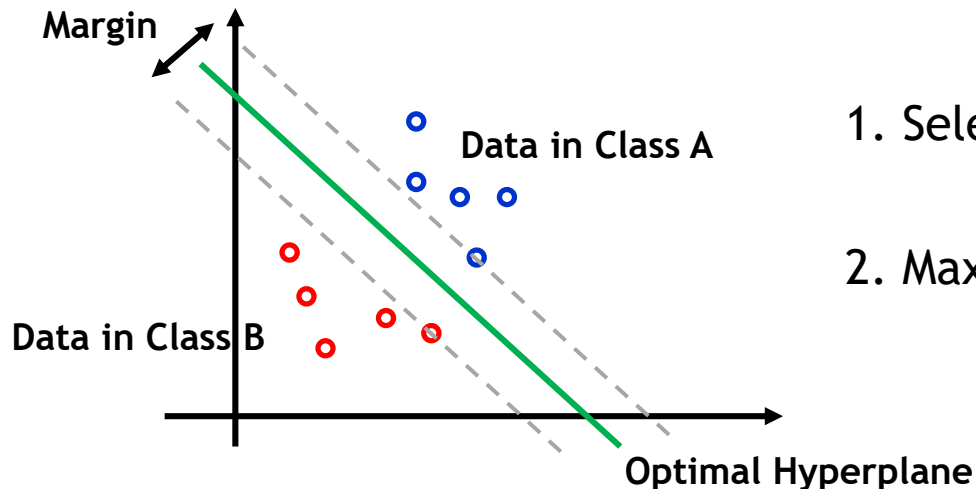
Case 2)



Case 3)



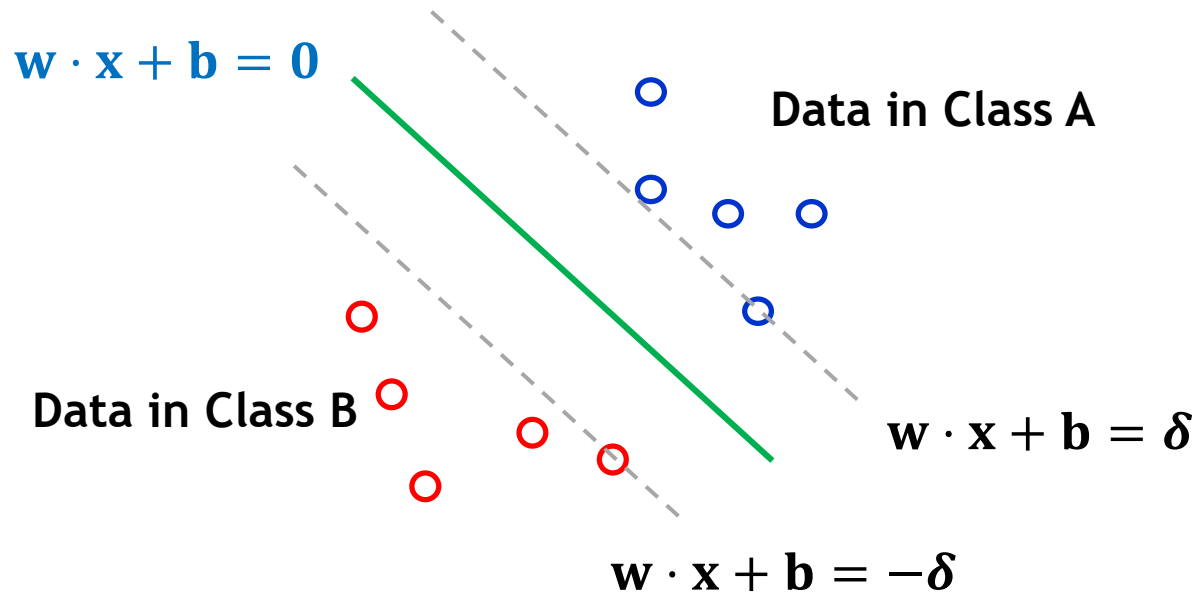
■ How to obtain the **OPTIMAL** hyperplane?



1. Select two hyperplanes which separate the data (Gray dashed lines)
2. Maximize their distances (= margin)

Support Vector Machine (SVM)

Two hyperplane selection



[Constraints]

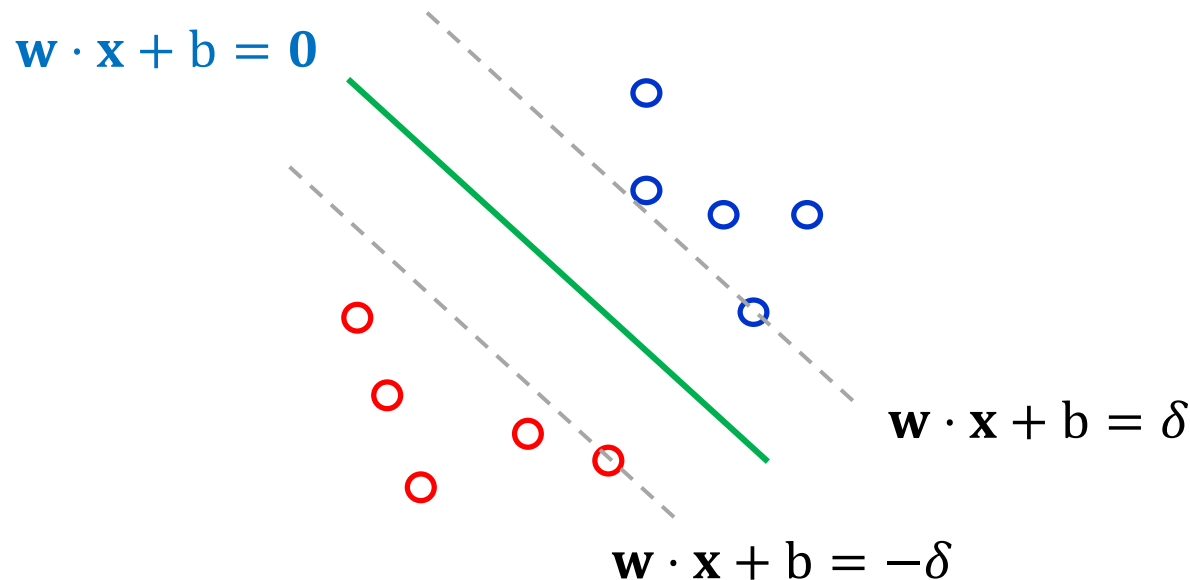
$w \cdot x + b \geq \delta$ for x having the class A (label: 1)

$w \cdot x + b \leq -\delta$ for x having the class B (label: -1)

➔ Objective Function: $y(w \cdot x + b) \geq 1$

Support Vector Machine (SVM)

- Maximize distance between two hyperplanes



Distance between two hyperplanes: $m = \frac{2}{\|\mathbf{w}\|}$

Maximize $m \leftrightarrow$ Minimize $\|\mathbf{w}\|$

Minimize $\|\mathbf{w}\|$ subject to $\mathbf{y}(\mathbf{w} \cdot \mathbf{x} + b) \geq 1$

Numerical Optimization

Support Vector Machine (SVM)

■ Kernel trick

- How can we handle data which are not linearly separable?

<https://www.youtube.com/watch?v=9NrALgHFwTo>

COMING SOON

Thank You😊